## Achievement Statements

## Mathematics

## Precision Pedagogy

Teaching the right thing, in the right way to the right learners

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## Achievement Statements and the philosophy that underpins them in overview

EdisonLearning's Achievement Statements are designed to bridge the gap between research and practitioners, making it easier for teachers to plan and assess for success; they can also guide judgements on whether learners are working below, at or at greater depth against age related expectations. Achievement Statements are one part of EdisonLearning's Precision Pedagogy an integrated approach to 'Teaching the right thing, in the right way to the right learners'.

The Achievement Statements or 'I can' statements have been systematically mapped to the 2014 National Curriculum for Reading, Writing and Maths for Key Stages 1 and 2, and cross checked against interim assessment guidance at Years 2 and 6 .

The Achievement Statements have been broken down into expectations within each year group including key outcomes for learners approaching the end of Early Years Foundation Stage (EYFS).

Achievement Statements have been grouped in three important ways:

- As Foundational or Conceptual learning outcomes - the former relating to those things learners need to know accurately and fluently, the latter being concerned with comprehension and application. This distinction gives strong pointers for lesson planning, more information on this is given later.
- Curriculum subareas- Achievement Statements have been grouped in each year group within curriculum subareas to help teachers to plan, assess and track progress.
- Power Statements- within each age related list of Achievement Statements some have been designated as Power Statements.

These have been selected on the basis of either being vital building blocks for the development of many later skills or that they are more likely to be represented in formal tests.

The difference in assessment between Foundational and Conceptual Achievement Statements is stamped on the three levels of competence attached to the statements. For Foundational statements- "I am accurate" first, then "I am quick" (mastery) before "I can apply" (greater depth) whilst for Conceptual statements the parallel criteria for demonstrating success are "With support", then "By myself" (mastery) and aspiring to "Supporting someone else" (greater depth).

## What is unique about EdisonLearning's Achievement Statements?

Achievement Statements are derived from a philosophy and a set of principles about human learning embodied in Precision Pedagogy. EdisonLearning has drawn together over 100 years of research under the Four Modes of Learning: Personal Learning, Collaborative Learning, Foundational Learning and Conceptual Learning. The methodologies that underpin all four are explored, developed and planned for with our partner schools, however in respect of the formal curriculum Foundational and Conceptual Learning are the most significant.

Foundational and Conceptual Learning are both essential and complementary, however research tells us that the methodologies for delivering each successfully are almost diametrically opposed.

## Foundational Learning

Foundational Learning is geared to ensuring essential knowledge and skills are learned to fluency and automaticity-obvious examples being phonics and tables.

Why is this important? When people apply themselves to any complex problem or skill they shuffle live information accessed from their Short Term Memory and Long Term Memory within what is called Working Memory. Short Term Memory has a capacity of around seven units that can be supplied to the Working Memory at any given time, but Working Memory is relatively unconstrained when it has speedy access to data in Long Term Memory. If a child has to consciously replay sounds or draw out multiplication facts whilst reading or problem solving then Working Memory becomes overloaded by its reliance on Short Term Memory and higher order cognitive processing becomes inhibited. Conversely when knowledge or skills are learned to high levels of fluency then the brain's attention and thinking are freed up to address the more important challenge of assembling and using information.
Many people might regard this as a lower level of learning but there is abundant evidence that lack of automaticity in Foundational knowledge and skills has wide ranging consequences. Children who fail to achieve these in primary school face a widening gap in performance thereafter. Automaticity gives access to Conceptual and Collaborative Learning. Further, research with children and adults consistently shows that fluency in these very basic skills is associated with confidence and self-esteem that provide a motivational boost to other areas of learning.

Research is crystal clear on the ways this type of knowledge and skills are best learned, in summary:

- It is focused on essential content
- Learners move stepwise/ hierarchically through learning objectives with progression related to competence
- Learning involves numerous learning trials which are as near to errorless as possible
- Learning is best organised in short and frequent sessions (the 'Spacing Effect')
- Fluency and not just accuracy is necessary
- Prior learning and new learning are interleaved.


## Conceptual Learning

It is widely accepted that the way we develop our understanding of the world is by building networks of connections between units of information, usually referred to as schema. Schema begin as simple relationships. Think of learning about colour, an initial schemata may be based around a single colour- the world is either red or not red. As learning about colours progresses it will elaborate and encompass other colours and onward to discriminations of names and shades. Concepts are networks of connections between knowledge, and the more and the stronger the connections then the more knowledge can be drawn upon and more shades of meaning can be discerned and the more memory is encoded.

Piaget was one of the earliest researchers to report these ideas, and while his notions of relatively fixed developmental stages has been questioned his descriptions of the growth of concepts in terms of
assimilation, accommodation and equilibration still have wide currency. The latest neuroscience using new imaging techniques is revealing more about how this encoding and connectivity is physically embedded within the brain.

The task of teachers in Conceptual Learning is to enable pupils to develop schema in relation to the curriculum and make these steadily more sophisticated. Active learning is central because pupils are not absorbing a standardised concept delivered by a teacher, instead they are filtering and linking what they are encountering against prior knowledge, establishing gaps and generating new connections.

Research on this mode of learning stresses the importance of:

- Scaffolding \& Metacognition:
- Overtly showing and articulating thought processes when modelling skills and introducing subject content
- Connections made to past learning concepts
- Higher order questioning- explain, justify, what if...
- A mixture of individual, pair and group work that build mental schema
- 'Active' learning:
- Examining similarities and differences in concepts e.g. Venn Diagrams
- Activities that map and extrapolate ideas and concepts e.g. graphic organisers, concept maps
- Novel applications of knowledge e.g. simulations, mysteries
- Cognitive replay:
- Paraphrasing \& summarising
- Think-pair-share
- Plan-do-review cycles
- Self \& peer assessment
- Challenge assignments:
- Writing/designing/creation assignments involving deductive and inductive reasoning


## The Benefits of Differentiating between Foundational and Conceptual Learning outcomes

First of all the distinction helps everyone to be clearer about what success looks like and how it will be assessed in relation to both age related expectations and depth of learning.

Planning for lessons is clarified in terms of learners' starting points and the steps from where they are towards the desired goals, while the choice of objectives also gives pointers to teaching methods e.g. little and often for a Foundational one.

Learners, teaching assistants and parents all have a clearer view on the direction of travel, progress and their contributions.

## What is different from the previous version of Achievement Statements produced in 2014?

A number of factors have informed the improvements to the first version of the Achievement Statements published in 2014, most importantly the feedback from and experiences with our partner schools. This has confirmed the value of the approach we have taken but pointed to ways we can improve from a classroom perspective. Alongside this, national expectations have been somewhat clarified, particularly through the Interim Teacher Assessment Frameworks and the guidance to the developers of SATs. EdisonLearning has drawn all these together in this latest iteration of Achievement Statements, however schools using the previous version will still be well placed to plan and track progress.

In summary, some Achievement Statements have been moved between the Foundational and Conceptual lists, there have been some revisions to Power Statements and to the indexing of the $P$ Scales. Another major improvement is the grouping of Achievement Statements in their curriculum subareas (Curriculum Code) within each year group. This will make it easier to plan and plot progression within a particular strand and link this to the delivery of sequences of lessons.

## EdisonLearning's Compass- tracking and planning success for learners



Compass
Tracking and planning
success for learners

Compass is EdisonLearning's online tracking tool. It is the only online application that incorporates these Achievement Statements (as well as the Learning and Life Skills 'I can'
Statements). It is designed primarily to support teachers to finely focus their planning, choices of teaching method and assessment criteria, although it will also generate summative data on individuals, cohorts and groups typically found in other trackers.

Subscribers can expect to benefit from a stream of further additions and refinements including pupil grouping tools, ladders (series of small steps toward a skill), short assessment tasks and depth tasks that teachers can speedily incorporate into their planning.

## Finding your way around the Achievement Statements

The Achievement Statements have been organised by National Curriculum year from 1 to $7+$, with a preceding list derived from $P$ scales to map some of the essential pre-skills that learners will be acquiring in the course of the Early Years Foundation Stage (EYFS)

Within each year group there are separate lists of Foundational and Conceptual Achievement Statements; within these two lists, Statements have been grouped in curriculum subareas in a typical order of difficulty or teaching.


## Curriculum Codes (sub areas)

## Code What it means

## Number and Place Value

This is all about knowing numbers, counting, and what each digit in a number represents. When you can read and write in numbers you will be much more confident in working out answers to problems

## Addition and Subtraction

+/- In developing this area you are learn number bonds that allow you to add and subtract mentally with fluency. You develop strategies to add and subtract bigger and smaller numbers which are difficult to add and subtract mentally.
 division facts. You also develop strategies to multiply and divide bigger and smaller numbers which are difficult to multiply and divide numbers mentally

## Fractions

 in the simplest form using your understanding of multiplication and division, and you will make links between fractions, decimal numbers and percentages (see below).
 links with fractions and percentages. When completing division calculations you will learn how to show remainders as a decimal

## Properties of Shape

 shapes and the volume of 3-D shapes, and the link between shapes and angles.

## Statistics

 how to use numbers to make predictions about what will happen in the future.
pdm Position, direction and motion
It is really important to be able to accurately describe the position of objects, starting with words like above and below. As your understanding develops you will be able to give increasingly precise and accurate descriptions of an object's position, and then describe accurately the direction of any movement. Movement includes angles of turn measured in degrees

## Measurement

 measurement - including time, and as your understanding develops you will become more and more precise in your measurements.
## Algebra

 mathematical understanding - and allows you to prove some quite complicated ideas.
## Ratio and Proportion

rp


## Transition from Early Years Foundation Stage to Year 1

Links have been made between Early Learning Goals (ELG) and Year 1 statements to aid transition from EYFS to KS1 and to inform planning for pupils who are not yet secure in aspects of the ELG. If a child is not yet ready to access the Y1 curriculum, he or she should continue to be taught and assessed against the EYFS curriculum until the end of Year 1, at which time their progress will be measured using the $P$ scales.

In EYFS "Mathematics development involves providing children with opportunities to practise and improve their skills in counting numbers, calculating simple addition and subtraction problems, and to describe shapes, spaces, and measures."

ELG 11 Numbers: Children count reliably with numbers from one to 20 , place them in order and say which number is one more or one less than a given number. Using quantities and objects, they add and subtract two single-digit numbers and count on or back to find the answer. They solve problems, including doubling, halving and sharing.

ELG 12 Shape, space and measures: Children use everyday language to talk about size, weight, capacity, position, distance, time and money to compare quantities and objects and to solve problems. They recognise, create and describe patterns.

| P Scales |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\stackrel{\text { ¢ }}{\text { ¢ }}$ |  |  | Foundational Achievement Statements | - |  | - |
| Pri(p4) | pdm |  | I can follow and join in familiar activities (e.g. the chorus of a song or number rhyme actions) |  |  |  |
| Pr2P6) | n |  | I can say numbers to 5 in the right order |  |  |  |
| ${ }^{\text {Prapp6 }}$ ) | n |  | I can count up to 3 objects |  |  |  |
| Pr4ap7 | n |  | I can say numbers to 10 in the right order |  |  |  |
| Pr5PP7) | n |  | I can count up to 5 objects |  |  |  |
| Prg $\left\langle\right.$ P7 ${ }^{\text {l }}$ | n |  | I can name numerals from one to five |  |  |  |
| P77(1) ${ }^{\text {8 }}$ | n |  | I can say numbers to 20 |  |  |  |
| Prape) | n |  | I can count onwards from a number less than 10 |  |  |  |
| Prg(P4) | $n$ |  | I can name numerals from 1-9 |  |  |  |
| ${ }^{\text {PFIOPP8) }}$ | n |  | I can describe position using the words "first, second, third etc." up to 10 |  |  |  |
| ${ }^{\text {PF } 11 / P 8) ~}$ | m |  | I can name the days in the week |  |  |  |


| P Scales |  |  |  |  |  |  |
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| $\begin{aligned} & \stackrel{x}{\underset{\theta}{c}} \\ & \underline{0} \end{aligned}$ |  |  | Conceptual Achievement Statements |  |  |  |
| ${ }^{\text {PCCIP4 }}$ ( $)$ | n |  | I can copy some actions during number rhymes, games and songs |  |  |  |
| PCC(P4) | n |  | I can follow a sequence of pictures or numbers during number rhymes, games and songs |  |  |  |
| PC.3P4) | pdm |  | I understand that an object is still there, even when I can't see it |  |  |  |
| PCC4(P4) | pos |  | I can stack or join objects using construction materials |  |  |  |
| ${ }^{\text {PCCS }}$ (4) ${ }^{\text {P }}$ | pos |  | I can group objects with similar features |  |  |  |
| ${ }^{\text {PCCb }}$ ( 4 ) | pdm |  | I can create very simple sequences |  |  |  |
| PC7(P5) | n |  | I can join in with number rhymes, stories, songs and games that I know |  |  |  |
| PC8(P5) | n |  | I can signal quantities of one or two by speaking, signing or gesturing |  |  |  |
| PCP(P5) | n |  | I can recognise the difference between "one" and "lots of" by speaking, signing or gesturing |  |  |  |
| PC10(F5) | m |  | I know the difference between big and small and can find big and small objects, when asked |  |  |  |
| ${ }^{\text {PC11 ( } 55)}$ | m |  | I can compare two objects and say which is bigger and which is smaller |  |  |  |
| ${ }^{\text {PC12(P5) }}$ | pdm |  | I can explore the position of objects, for example, by placing them in, out, under or over set places |  |  |  |
| ${ }^{\text {PC131P55 }}$ | pos |  | I can find matching pairs from a collection of pictures or objects |  |  |  |
| PC14(5) | n |  | I can make groups that have the same small number of objects in each |  |  |  |


| PC15(P5) | m | I can place objects of different sizes into containers that fit |
| :---: | :---: | :---: |
| PC16(P6) | n | I can show that I understand one-to-one correspondence by matching objects (e.g. knives and forks) |
| PC17(P6) | n | I can make sets of up to three objects |
| PC18(P6) | n | I can use numbers to 3 in familiar situations |
| PC19(P6) | n | I can show that I understand "more" by providing more objects when asked |
| PC20(P6) | n | I can join in with new number rhymes, songs and stories |
| PC21(P6) | m | I can compare two objects and say which is bigger and which is smaller, where there is not much difference in size |
| PC22(P6) | pos | I can sort shapes into a shape sorter |
| PC23(P6) | pdm | I can follow instructions using words to describe position (in, on, under, or inside) |
| PC24(P6) | pos | I can sort objects and materials when they have one thing in common |
| PC25(P6) | pdm | I can copy simple sequences and patterns |
| PC26(P7) | pdm | I can follow instructions to move something "forwards" or "backwards" |
| PC27(P7) | pos | I can pick out described shapes from a collection (e.g. circles, shapes with straight edges) |
| PC28(P7) | m | I can use words I know to compare sizes and quantities (e.g. heavy/light, more/less) when working practically |
| PC29(P7) | $n$ | I can show that a numeral represents a constant quantity of different objects/ pictures |
| PC30(P7) | n | I can show that I understand "less than" |
| PC31(P7) | n | I can 'add one' to a number of objects, working practically |



| Year 1 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \times \\ & \text { © } \\ & \text { ㄷ } \end{aligned}$ |  |  | Foundational Achievement Statements |  | $\frac{\varepsilon}{\sigma} \frac{\stackrel{v}{v}}{\bar{V}}$ |  |
| 151 | npv | $\sqrt{ }$ | I can say what is one more and one less of a given number (Links to ELG 11) |  |  |  |
| 152 | npv | $\sqrt{ }$ | I can recognise odd and even numbers |  |  |  |
| 153 | npv | $\sqrt{ }$ | I can read and write numbers from 1 to 20 in numerals and words (Links to ELG 11) |  |  |  |
| 154 | npv |  | I can count aloud up to 100, starting from any number |  |  |  |
| 155 | npv |  | I can count aloud backwards from 100, starting from any number |  |  |  |
| 156 | npv |  | I can read and write numbers up to 100 |  |  |  |
| 157 | $x / \div$ | $\sqrt{ }$ | I can count in twos, fives and tens up to 100 |  |  |  |
| 158 | m | $\sqrt{ }$ | I can name the value of different coins and notes |  |  |  |
| 159 | m |  | I can say today's date |  |  |  |
| 1 10 | m | $\sqrt{ }$ | I can say the days of the week and the months of the year in order |  |  |  |
| 1 F11 | m | $\sqrt{ }$ | I can tell the time when it is o'clock and half past the hour |  |  |  |
| $1 F 12$ | pos |  | I can recognise and say the names of common 3-D shapes like cuboids, cubes, pyramids and spheres |  |  |  |
| 1 13 | pos | $\sqrt{ }$ | I can recognise and say the names of common 2-D shapes like rectangles, squares, circles and triangles |  |  |  |


|  | Year 1 |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \times \\ & \stackrel{\times}{0} \\ & \text { ㄷ } \end{aligned}$ | $\begin{aligned} & \frac{\varepsilon}{3} \\ & \frac{U}{3} \\ & \frac{0}{2} O \\ & 3 \end{aligned}$ |  | Conceptual Achievement Statements | $\begin{aligned} & \frac{5}{0} \\ & \stackrel{y}{4} \\ & \stackrel{0}{0} \\ & \frac{0}{n} \end{aligned}$ |  |  |
| 1C1 | npv | $\sqrt{ }$ | I can use objects and draw pictures to show numbers including a number line (Links to ELG 11) |  |  |  |
| 1C2 | npv | $\sqrt{ }$ | I can say what these words mean and use them in my work: equal to, more than, less than, most, least |  |  |  |
| 1C3 | +/- |  | I can use objects, pictures and my knowledge of number facts to help me to solve addition and subtraction problems to 20 |  |  |  |
| 1C4 | +/- | $\sqrt{ }$ | I can add and subtract 1- and 2-digit numbers to 20 |  |  |  |
| 1C5 | +/- | $\sqrt{ }$ | I can read, write and work out questions involving addition (+), subtraction (-) using concrete objects and pictorial representations |  |  |  |
| 1C6 | $x / \div$ |  | I can work out doubles of numbers up to 10 by using and counting objects (Links to ELG 11) |  |  |  |
| 1C7 | $x / \div$ |  | I can work out half of even numbers up to 20 by sharing or grouping objects and counting them (Links to ELG 11) |  |  |  |
| 1C8 | $f r$ |  | I can name and find $1 / 2$ of a shape, an object or a quantity of objects |  |  |  |
| 1C9 | $f r$ |  | I can name and find $1 / 4$ of a shape, an object or a quantity of objects |  |  |  |
| 1C10 | m | $\sqrt{ }$ | I can say if objects are longer or shorter, taller or shorter or long or short when I measure them (Links to ELG 12) |  |  |  |
| 1C11 | m | $\sqrt{ }$ | I can say if an object is heavier or lighter than another object (Links to ELG 12) |  |  |  |
| 1 C 12 | m |  | I can say if a container with water in it is full or empty, a quarter full or a quarter empty |  |  |  |
| 1C13 | m |  | I can say if an action was slower or quicker than another action (Links to ELG 12) |  |  |  |
| 1 C 14 | m |  | I can put words about time events in order e.g. before, after, first, today, yesterday, tomorrow, morning, afternoon, evening |  |  |  |



| Year 2 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \times \\ & \stackrel{\times}{0} \\ & \underline{I} \end{aligned}$ |  |  | Foundational Achievement Statements |  | $\frac{\varepsilon}{\pi} \frac{\stackrel{v}{U}}{\bar{O}}$ |  |
| 251 | npv | $\sqrt{ }$ | I can say the value of each digit in a 2-digit number (tens, ones) |  |  |  |
| 252 | npv | $\sqrt{ }$ | I can read, write and order numbers from 0 up to 100 |  |  |  |
| 2 F 3 | npv |  | I can place $<,>$ and = correctly to describe the relationship between numbers |  |  |  |
| 254 | +/- | $\sqrt{ }$ | I can add and subtract three 1-digit numbers mentally |  |  |  |
| 255 | +/- | $\sqrt{ }$ | I can add and subtract two 2-digit numbers in my head |  |  |  |
| 256 | +/- | $\sqrt{ }$ | I can count on in $2 \mathrm{~s}, 3 \mathrm{~s}, 5 \mathrm{~s}$ and 10 s from any 2-digit number |  |  |  |
| 257 | $x / \div$ | $\sqrt{ }$ | I can recall multiplication and division facts for the 2,5 and 10 multiplication tables |  |  |  |
| 258 | $x / \div$ |  | I can calculate the answer to multiplication and division calculations within the multiplication tables that I know and write them using the multiplication $(x)$, division $(\div)$ and equals $(=)$ signs |  |  |  |
| 259 | $x / \div$ | $\sqrt{ }$ | I can double any number up to and including 50 and work out half of any even number up to 100 |  |  |  |
| 2 F 10 | $f r$ | $\sqrt{ }$ | I can find and name $1 / 3,1 / 4,2 / 4$, and $3 / 4$ of a length, shape, set of objects or quantity |  |  |  |
| 2 F 11 | m | $\sqrt{ }$ | I can read scales on measuring equipment like rulers, weighing scales, thermometers and measuring cylinders to the nearest numbered unit using standard units |  |  |  |
| 2 F 12 | m |  | I can compare and order measurements and record the results using $>,<$ and $=$ |  |  |  |
| 2 F 13 | m |  | I can tell and write the time at quarter past/to the hour and draw hands on a clock face to show these times |  |  |  |
| $2 F 14$ | m |  | I can tell and write the time to 5 minute intervals past/to the hour and draw hands on a clock face to show these times |  |  |  |



| Year 2 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \frac{x}{0} \\ \stackrel{x}{i} \end{gathered}$ |  |  | Conceptual Achievement Statements |  |  |  |
| 2 C 1 | npv |  | I can solve word problems using place value and number facts with two digit numbers with some accuracy |  |  |  |
| 2 C 2 | npv |  | I can choose if it is best to work out an answer using a mental method or a written method |  |  |  |
| ${ }^{2} 3$ | npv |  | I can estimate an answer to an addition, subtraction, multiplication or division up to 100 |  |  |  |
| $2 \mathrm{C4}$ | +/- | $\checkmark$ | I can solve simple one step addition and subtraction problems where a number is missing within 20 |  |  |  |
| 2 C 5 | +/- | $\checkmark$ | I can show that I can add two numbers in any order and get the same answer |  |  |  |
| $2 \mathrm{C6}$ | +/- | $\checkmark$ | I can check the answer to a subtraction by adding the answer to the amount that is being subtracted |  |  |  |
| 2 Cl | x/ $=$ | $\checkmark$ | I can use objects to calculate half of an odd number of objects, giving the answer as a remainder and fraction |  |  |  |
| ${ }^{2} \mathrm{C} 8$ | x/ $\div$ | $\checkmark$ | I can check my answer for a division by multiplying the answer by the divider i.e. because multiplication and division calculations are the inverse of each other |  |  |  |
| $2 \mathrm{C}, 9$ | x/ | $\checkmark$ | I can check my answer for a multiplication by dividing the answer by one of the multipliers i.e. because multiplication and division calculations are the inverse of each other |  |  |  |
| 2 C 10 | x/ | $\checkmark$ | I can prove that I can multiply two numbers in any order and get the same answer |  |  |  |
| 2 C 11 | x/- | $\checkmark$ | I can prove that changing the order of numbers in a division calculation makes the answer change |  |  |  |
| 2 C 12 | x/\% |  | I can solve one-step word problems involving multiplication and division, using materials, arrays, repeated addition, mental methods, and multiplication and division facts |  |  |  |
| 2 C 13 | fr |  | I can write simple fractions e.g. $1 / 2$ of $6=3$ and recognise the equivalence of two quarters to one half |  |  |  |
| 2 C 14 | m | $\checkmark$ | I can compare intervals of time and sequence them in the right order (seconds, minutes, hours, days, weeks, months, years) |  |  |  |



| Year 3 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\stackrel{\substack{0 \\ ⿻}}{\substack{0}}$ |  |  | Foundational Achievement Statements | - |  | $\stackrel{\text { ¢ }}{\text { ¢ }}$ |
| ${ }^{351}$ | npv | $\checkmark$ | I can say the value of each digit in a 3-digit number (hundreds, tens, ones) |  |  |  |
| $3{ }^{3} 2$ | npv | $\checkmark$ | I can read, write, compare and order numbers up to 1,000 |  |  |  |
| $3{ }^{3}$ | +/- |  | I can use column addition and column subtraction to add and subtract 3-digit numbers |  |  |  |
| 354 | +- |  | I can say 1,000 more or less than a given number |  |  |  |
| 355 | +/- | $\checkmark$ | I can add and subtract ones, tens and hundreds to and from any 3-digit number |  |  |  |
| $3{ }^{36}$ | $x / \div$ |  | I can count in multiples of $6,7,9,25$ and 1,000 |  |  |  |
| 377 | x/- | $\checkmark$ | I can recall and use multiplication and division facts for the 3,4 and 8 multiplication tables |  |  |  |
| 358 | $\mathrm{x} / \div$ | $\checkmark$ | I can calculate the double of any number up to 1,000 |  |  |  |
| $3{ }^{3} 9$ | $x / \div$ | $\checkmark$ | I can calculate half of any number up to 1,000 |  |  |  |
| 3510 | $x / \div$ |  | I can write and calculate mathematical statements for multiplication and division within the multiplication tables I know, including 2-digit numbers $\times 1$-digit numbers using mental and written methods |  |  |  |
| 3511 | f |  | I can count up and down in tenths |  |  |  |
| 3512 | f |  | I can recognise, find and write fractions of a discrete set of objects or numbers using fractions with a small denominator or a denominator of 1 and put these in order |  |  |  |
| 3513 | f |  | I can add and subtract fractions with the same denominator within one whole (e.g. $5 / 7+1 / 7=6 / 7$ ) |  |  |  |
| 3514 | m | $\checkmark$ | I can use vocabulary such as am, pm, morning, afternoon, noon and midnight |  |  |  |



## Year 3

| $\xrightarrow{\text { ¢ }}$ | $\begin{aligned} & \frac{E}{3} \\ & \frac{0}{\partial} \frac{0}{8} \\ & \frac{1}{3} U \\ & U \end{aligned}$ |  | Conceptual Achievement Statements |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3C1 | npv |  | I can solve number problems (including missing number problems) and practical problems by using my knowledge of number facts and place value. I use diagrams, measuring equipment and written methods to help me (Number facts include addition and subtraction facts, multiplication and division facts and inverse operations) |  |  |  |
| 3C2 | $x / \div$ |  | I can solve multiplication and division problems (which include missing number problems), including scaling problems and correspondence problems in which $n$ objects are connected to $m$ objects |  |  |  |
| 3C3 | npv | $\sqrt{ }$ | I can estimate the answer to a calculation and use inverse operations to check answers |  |  |  |
| 3C4 | f |  | I can show that tenths that arise from dividing a single digit number or a quantity by 10 are represented by a decimal number |  |  |  |
| 3C5 | f | $\sqrt{ }$ | I can explain and use the language of fractions including denominator and numerator |  |  |  |
| 3 C 6 | f | $\sqrt{ }$ | I can compare and order fractions with the same denominator |  |  |  |
| 3C7 | f | $\sqrt{ }$ | I can recognise and show equivalent fractions with small denominators using diagrams |  |  |  |
| 3C8 | f | $\sqrt{ }$ | I can solve problems that involve fractions, including equivalent fractions and addition of fractions |  |  |  |
| 3C9 | f | $\sqrt{ }$ | I can show that tenths that arise from dividing an object into 10 equal parts are represented by a fraction |  |  |  |
| 3C10 | m |  | I can measure, compare, add and subtract: lengths (m/cm/mm), mass ( $\mathrm{kg} / \mathrm{g}$ ); volume/capacity ( $1 / \mathrm{ml}$ ) |  |  |  |
| 3C11 | m |  | I can compare durations of events, for example to calculate the time taken up by particular events or tasks |  |  |  |
| 3 C 12 | pos |  | I can draw 2-D and make 3-D shapes using modelling materials and name these shapes in different orientations |  |  |  |
| 3C13 | pos |  | I can recognise 2-D and 3-D shapes in different orientations, and describe them accurately in terms of faces, edges, vertices and lines of symmetry |  |  |  |
| 3C14 | pdm |  | I can describe angles in terms of measurements of turning e.g. four right angles make full turn, a right angle is a quarter turn, a given angle is more or less than a quarter turn |  |  |  |


| $3 C 15$ | s |  | I can present data using simple bar charts, pictograms and tables |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 3C16 | s | $\sqrt{ }$ | I can solve one-step and two-step questions such as "Which has the most?" and "How many more?" using <br> information presented in scaled bar charts and pictograms and tables |  |  |


| Year 4 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \stackrel{x}{\ddot{\theta}} \\ & \stackrel{\rightharpoonup}{0} \end{aligned}$ | $\begin{aligned} & \frac{\varepsilon}{5} \\ & \frac{3}{\overline{3}} \frac{0}{8} \\ & \frac{2 匕 匕 ㅇ}{3} \\ & 0 \end{aligned}$ |  | Foundational Achievement Statements | $\stackrel{\stackrel{y}{N}}{\stackrel{y}{0}} \underset{-}{\stackrel{\rightharpoonup}{3}}$ |  | $\xrightarrow{-\frac{5}{5}} \stackrel{ \pm}{ \pm}$ |
| 451 | npv | $\checkmark$ | I can name, order and compare numbers above 1000 |  |  |  |
| $4{ }^{4} 2$ | npv |  | I can read and write Roman numerals from 1 to 100 (I to C) |  |  |  |
| $4{ }^{4} 3$ | npv | $\checkmark$ | I can add multiples of 10,100 or 1,000 to any number up to 9,999 mentally |  |  |  |
| 454 | npv | $\checkmark$ | I can count backwards through zero to include negative numbers |  |  |  |
| 455 | npv | $\checkmark$ | I can round any number to 10,100 or 1,000 and add multiples of 10,100 or 1,000 mentally |  |  |  |
| 456 | +/- | $\checkmark$ | I can use column addition and column subtraction to add and subtract numbers with up to 4-digits |  |  |  |
| 457 | $x / \div$ | $\checkmark$ | I can multiply or divide 2-digit and 3-digit numbers by a 1-digit number using efficient written methods |  |  |  |
| 458 | $x / \div$ | $\checkmark$ | I can recall and use multiplication and division facts for multiplication tables up to $12 \times 12$ |  |  |  |
| $4{ }^{4} 9$ | $x / \div$ |  | I can use place value, known and derived facts to multiply and divide mentally, including: multiplying together three numbers |  |  |  |
| 4510 | $x / \div$ |  | I can use place value, known and derived facts to multiply and divide mentally, including: doubling and halving any number |  |  |  |
| 4511 | $x / \div$ |  | I can use place value, known and derived facts to multiply and divide mentally, including: multiplying by 0 and 1 |  |  |  |
| 4512 | $x / \div$ |  | I can use place value, known and derived facts to multiply and divide mentally, including: dividing by 1 |  |  |  |
| 4513 | f |  | I can recognise show and name, using diagrams, families of common equivalent fractions including tenths and hundredths |  |  |  |
| 4514 | f | $\checkmark$ | I can count up and down in hundredths |  |  |  |



| Year 4 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \times \\ & \stackrel{\times}{0} \\ & \underline{I} \end{aligned}$ | $\begin{aligned} & \frac{\varepsilon}{3} \\ & \frac{0}{3} \\ & \frac{0}{4} O \\ & 3 \end{aligned}$ |  | Conceptual Achievement Statements |  | $\begin{aligned} & \frac{4}{9} \\ & \stackrel{\omega}{\xi} \\ & \underset{\infty}{\infty} \end{aligned}$ |  |
| 4C1 | npv |  | I can explain, using place value knowledge, the effect of dividing any number by 10 and 100 on the number and the digits in the number |  |  |  |
| 4 C 2 | npv | $\sqrt{ }$ | I can estimate the answer to, and solve, number and practical problems that involve making decisions about applying number facts, place value, rounding and estimation with numbers greater than 1,000 |  |  |  |
| 4C3 | npv |  | I can check my answers using estimates and by applying inverse operations |  |  |  |
| 4C4 | npv |  | I can explain how the number system has changed over time to include the concept of zero and place value |  |  |  |
| 4C5 | +/- | $\sqrt{ }$ | I can solve addition and subtraction two-step problems in contexts, deciding which operations and methods to use and explaining why |  |  |  |
| 4C6 | $x / \div$ |  | I can estimate the answer to, and solve problems, involving multiplying and adding, including the distributive law and harder multiplication problems such as 'which $n$ objects are connected to which $m$ objects' (Harder multiplications include 2 -digit x 2-digit and 2-digit x 3 -digit problems) |  |  |  |
| 4 C 7 | f |  | I can estimate the answer to, and solve simple measure and money problems involving fractions and decimals to 2 decimal places |  |  |  |
| 4 CB | f | $\sqrt{ }$ | I can recognise that hundredths arise when dividing an object by a hundred and dividing tenths by ten |  |  |  |
| 4C9 | $f$ |  | I can solve problems involving increasingly harder fractions to include non-unit fractions where the answer is not a whole number |  |  |  |
| 4C10 | $d$ |  | I can round decimals with one decimal place to the nearest whole number |  |  |  |
| 4C11 | m |  | I can identify, represent and estimate numbers using different representations - for example numbers used within different measurement scales such as time, temperature and weight |  |  |  |
| 4 C 12 | m |  | I can estimate and find the area of squares, rectangles and related composite shapes by counting standard units, including centimetre squared $\left(\mathrm{cm}^{2}\right)$ and metre squared $\left(\mathrm{m}^{2}\right)$ |  |  |  |
| 4 C 13 | m |  | I can estimate, compare and calculate with measures of length, mass and capacity |  |  |  |
| 4C14 | m |  | I can estimate, compare and calculate with measures of time (including the 12 and 24 hour clock) |  |  |  |


| 4C15 | m | $\checkmark$ | I can solve problems including converting from hours to minutes; minutes to second; years to months; weeks to days |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 4C16 | pdm |  | I can describe positions, and movements between positions, on a 2-D grid, and as coordinates in the first quadrant |  |  |  |
| 4 C 17 | pdm |  | I can describe movements between positions as translations of a given unit to the left/right and up/down |  |  |  |
| 4C18 | pos |  | I can identify lines of symmetry in 2-D shapes presented in different orientations, and complete symmetry diagrams for specific lines of symmetry |  |  |  |
| 4C19 | pos | $\checkmark$ | I can plot specified points and draw sides to complete a given polygon |  |  |  |
| $4 \mathrm{C2O}$ | s |  | I can solve comparison, sum and difference problems using information presented in bar charts, pictograms, tables and simple line graphs |  |  |  |
| 4C21 | s | $\checkmark$ | I can interpret and present discrete data using bar charts |  |  |  |
| 4 C 22 | s |  | I can interpret and present continuous data using appropriate graphical methods e.g. time graphs |  |  |  |


| Year 5 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{aligned} & \frac{E}{5} \\ & \frac{0}{3} \\ & \frac{0}{2} \\ & \text { 릉 } \end{aligned}$ |  | Foundational Achievement Statements | $\stackrel{¢}{\square} \underset{\sim}{¢}$ |  |  |
| 551 | npv | $\checkmark$ | I can read, write, order, compare and round numbers to at least $1,000,000$ and determine the value of each digit |  |  |  |
| 572 | npv | $\checkmark$ | I can round numbers to at least 1,000,000 and determine the value of each digit |  |  |  |
| 573 | npv | $\checkmark$ | I can count forwards or backwards in steps of powers of 10 for any given number up to 1,000,000 |  |  |  |
| 554 | npv | $\checkmark$ | I can interpret negative numbers in context, and count forwards and backwards with positive and negative whole numbers through zero |  |  |  |
| 555 | npv |  | I can read Roman numerals to 1000 (M) and years written in Roman numerals |  |  |  |
| 576 | +/- | $\checkmark$ | I can add and subtract whole numbers with more than 4 digits using efficient written methods (columnar addition and subtraction) |  |  |  |
| 557 | +/- |  | I can add and subtract numbers mentally with increasingly large numbers |  |  |  |
| 578 | $x / \div$ | $\checkmark$ | I can multiply numbers up to 4 -digits by a 1 or 2-digit number using an efficient written method, including long multiplication for 2-digit numbers |  |  |  |
| 559 | $x / \div$ | $\checkmark$ | I can divide numbers up to 4 digits by a 1-digit number using the efficient written method of short division and interpret remainders appropriately for the context |  |  |  |
| 5 F 10 | $x / \div$ | $\checkmark$ | I can multiply and divide numbers mentally drawing upon known facts including multiplying and dividing by 10, 100 and 1,000 |  |  |  |
| 5 F 11 | $x / \div$ | $\checkmark$ | I can identify different factor pairs for a given number |  |  |  |
| $5 F 12$ | f |  | I can compare and order fractions whose denominators are all multiples of the same number |  |  |  |
| 5713 | f |  | I can convert mixed numbers and improper fractions from one form to the other |  |  |  |



| Year 5 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \stackrel{\text { 㐅}}{\stackrel{\rightharpoonup}{0}} \\ & \underline{\underline{0}} \end{aligned}$ |  |  | Conceptual Achievement Statements | $\stackrel{¢}{\square} \underset{\sim}{¢}$ |  |  |
| 5 C 1 | npv |  | I can estimate the answer to, and solve, number and practical problems that involve numbers up to 1000000 |  |  |  |
| 5C2 | npv | $\checkmark$ | I can solve single- and multi-step practical problems involving a combination of addition, subtraction, multiplication and division calculations, including understanding the meaning of the equals sign |  |  |  |
| 5 C 3 | npv | $\checkmark$ | I can explain my choice of calculation when solving single- and multi-step problems |  |  |  |
| 5C4 | npv |  | I can use rounding to check answers to calculations and determine, in the context of a problem, levels of accuracy |  |  |  |
| 5 C 5 | npv |  | I can explain what the vocabulary of prime numbers means including prime number, prime factor and composite (nonprime) number |  |  |  |
| 5C6 | npv |  | I can establish whether a number up to 100 is prime and recall the prime numbers up to 19 |  |  |  |
| 5C7 | $\mathrm{x} / \div$ | $\checkmark$ | I can recognise and use square numbers and square roots, and the notation for squared (2) and cubed (3) |  |  |  |
| 5C8 | f |  | I can solve problems involving multiplication and division including scaling by simple fractions and problems involving simple rates |  |  |  |
| 5C9 | f |  | I can name and write equivalent fractions of a given fraction, including tenths and hundredths |  |  |  |
| 5C10 | f | $\checkmark$ | I can add and subtract fractions with the same denominator and related fractions including writing mathematical statements that exceed 1 as a mixed number: (e.g. $2 / 5+4 / 5=6 / 5=11 / 5$ ) |  |  |  |
| 5C11 | f |  | I can multiply proper fractions and mixed numbers by whole numbers, supported by materials and diagrams |  |  |  |
| 5 C 12 | f | $\checkmark$ | I can round decimals with two decimal places to the nearest whole number or to the first decimal place |  |  |  |
| 5C13 | d | $\checkmark$ | I can solve problems involving numbers up to three decimal places |  |  |  |



| Year 6 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\stackrel{\text { ¢ }}{\substack{\text { ¢ }}}$ |  |  | Foundational Achievement Statements | - |  | - |
| ${ }_{6} 61$ | npv | $\checkmark$ | I can read, write, order and compare numbers up to 10 million and determine the value of each digit |  |  |  |
| ${ }_{6} 6$ | npv | $\checkmark$ | I can add, subtract and use negative numbers in context, and calculate intervals across zero |  |  |  |
| ${ }_{673}$ | npv |  | I can perform mental calculations, including with mixed operations and large numbers |  |  |  |
| 674 | npv | $\checkmark$ | I can use my knowledge of the order of operations to carry out calculations involving the four operations |  |  |  |
| ${ }^{6} 5$ | npv |  | I can follow the order of operations in calculations, and where there are brackets do these first e.g. $2+(3 \times 4)-9=5$ |  |  |  |
| 6 6 6 | npv | $\checkmark$ | I can identify common factors, common multiples and prime numbers |  |  |  |
| ${ }^{677}$ | $x / \div$ | $\checkmark$ | I can multiply numbers with at least 4-digits by a 2 -digit whole number using long multiplication |  |  |  |
| ${ }^{668}$ | x/ $\div$ | $\checkmark$ | I can divide numbers up to 4-digits by a 2-digit whole number using long division, and interpret remainders as whole number remainders, fractions, decimals or by rounding as appropriate for the context |  |  |  |
| ${ }^{6} 9$ | f |  | I can use common factors to simplify fractions and use common multiples to express fractions in the same denomination |  |  |  |
| $6\ulcorner 10$ | f | $\checkmark$ | I can compare and order any fraction, including fractions $>1$ |  |  |  |
| $6 ¢ 11$ | rp |  | I can recognise equivalent ratios and reduce a given ratio to its lowest terms |  |  |  |
| ${ }_{6 F 12}$ | f | $\checkmark$ | I can recall and use equivalences between simple fractions, decimals and percentages including in different contexts |  |  |  |
| $6 ¢ 13$ | d | $\checkmark$ | I can multiply and divide numbers up to three decimal places by 10,100 and 1000 where the answers are up to three decimal places |  |  |  |
| 6714 | d |  | I can multiply 1 -digit numbers with up to two decimal places by whole numbers |  |  |  |



| Year 6 |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Conceptual Achievement Statements | $\frac{5}{5} \frac{\stackrel{y}{2}}{\frac{2}{2}} \frac{0}{2}$ |  |  |
| ${ }_{6 C 1}$ | npv | $\checkmark$ | I can use estimation to check answers to calculations and determine an appropriate level of accuracy |  |  |  |
| ${ }_{6} 6.2$ | npv | $\checkmark$ | I can round any number to any given degree of accuracy |  |  |  |
| ${ }_{6 c} 6$ | npv | $\checkmark$ | I can solve problems which require answers to be rounded to specified degrees of accuracy |  |  |  |
| $6 ¢ 4$ | npv | $\checkmark$ | I can use formal written methods to solve multistep problems, using all four operations e.g. A two litre bottle of drink is used to fill cups of 150 ml , how much will be left? |  |  |  |
| ${ }_{6 C 5}$ | npv | $\checkmark$ | I can solve problems that involve calculating intervals across zero |  |  |  |
| ${ }_{6 C 6}$ | d | $\checkmark$ | I can use written division methods in cases where the answer has up to 2 decimal places |  |  |  |
| $6{ }_{6} 7$ | f | $\checkmark$ | I can add and subtract fractions with different denominators and mixed numbers, using the concept of equivalent fractions |  |  |  |
| ${ }^{6 C 8}$ | f |  | I can multiply simple pairs of proper fractions, writing the answer in its simplest form (e.g. $1 / 4 \times 1 / 2=1 / 8)$ |  |  |  |
| ${ }^{669}$ | f |  | I can divide proper fractions by whole numbers (e.g. $1 / 3 \div 2=6$ ) |  |  |  |
| 6c10 | p |  | I can use percentages for comparison and calculate percentages of whole numbers or measures such as 15\% of 360 |  |  |  |
| 6 C 11 | d | $\checkmark$ | I can calculate decimal fraction equivalents (e.g. 0.375 ) for a simple fraction (e.g. ${ }^{3 / 8}$ ) and explain how I've done it |  |  |  |
| 6 C 12 | rp |  | I can solve problems involving the relative sizes of two quantities where missing values can be found by using integer multiplication and division facts |  |  |  |
| $6 C 13$ | rp |  | I can solve problems involving unequal sharing and grouping using knowledge of fractions and multiples |  |  |  |
| 6C14 | rp | $\checkmark$ | I can solve problems involving similar shapes where the scale factor is known or can be found |  |  |  |



| Year 7+ |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \underset{\imath}{\square} \\ \underline{\square} \end{gathered}$ | $\begin{aligned} & \frac{\varepsilon}{5} \\ & \frac{0}{2} \frac{0}{0} \\ & z_{0}^{0} \end{aligned}$ |  | Foundational Achievement Statements |  |  | - |
| 7+51 | npv | $\checkmark$ | $I$ understand and $I$ can use place value for decimals, measures and integers of any size |  |  |  |
| ${ }^{7+52}$ | npv |  | I can use the symbols $=, \pm,<,>, \leq, \geq$ to describe a numerical or algebraic equation |  |  |  |
| ${ }^{7+53}$ | p |  | I can find the outcome of a given percentage increase or decrease, including numbers and quantities |  |  |  |
| ${ }^{7+54}$ | pos |  | I can use appropriate formulae for finding circumferences and areas of circles, areas of plane rectilinear figures and volumes of cuboids when solving problems |  |  |  |
| ${ }^{7+55}$ | pdm |  | I can apply the properties of angles at a point, angles at a point on a straight line, and vertically opposite angles |  |  |  |
| $7+56$ | pdm | $\checkmark$ | I can identify alternate and correspondent angles and understand a proof that the sum of the angles of a triangle is 180 degrees and of a quadrilateral is 360 degrees |  |  |  |
| ${ }^{7+77}$ | a | $\checkmark$ | I can use and interpret algebraic notation: ab in place of $\mathrm{a} \times \mathrm{b}$ |  |  |  |
| ${ }^{7+58}$ | a | $\checkmark$ | I can use and interpret algebraic notation: 3 y in place of $\mathrm{y}+\mathrm{y}+\mathrm{y}$ and 3 xy |  |  |  |
| $7+$ 9 | a | $\checkmark$ | I can use and interpret algebraic notation: $\mathrm{a}^{2}$ in place of $\mathrm{a} \times \mathrm{a}, \mathrm{a}^{3}$ in place of $\mathrm{a} \times \mathrm{a} \times \mathrm{a}^{\text {a }} \mathrm{a}^{2} \mathrm{~b}$ in place of $\mathrm{a} \times \mathrm{a} \times \mathrm{b}$ |  |  |  |
| 7+F10 | a | $\checkmark$ | I can use and interpret algebraic notation: $/ \mathrm{b}$ in place of $\mathrm{a} \div \mathrm{b}$ |  |  |  |
| ${ }^{7+511}$ | a | $\checkmark$ | I can use and interpret algebraic notation: coefficients written as a fraction rather than as a decimal |  |  |  |
| ${ }^{7+F 12}$ | a | $\checkmark$ | I can use and interpret brackets in algebraic notation |  |  |  |


| Year 7＋ |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { 曾 } \\ & \hline \end{aligned}$ |  | 高产䯧 | Conceptual Achievement Statements | $\frac{5}{5} \frac{\stackrel{y}{0}}{\frac{0}{2}} \frac{0}{3}$ |  |  |
| $7+$ C1 | npv | $\checkmark$ | I can use the four operations，including formal written methods，applied to integers，decimals，proper and improper fractions and mixed numbers，all both positive and negative |  |  |  |
| ${ }^{7}+$ C2 | npv |  | I can use conventional notation for the priority of operations，including brackets，powers，roots and reciprocals |  |  |  |
| 7 C 3 | p | $\checkmark$ | I can express one quantity as a percentage of another，compare two quantities using a percentage，and work with percentages greater than 100\％ |  |  |  |
| $7+\mathrm{C4}$ | rp | $\checkmark$ | I can recognise and use division in the context of fractions，percentages and ratio |  |  |  |
| 7＋C5 | pos |  | I can derive and apply formulae to calculate and solve problems involving：perimeter and areas of triangles， parallelograms，trapezia，volume of cuboids（including cubes）and other prisms（including cylinders） |  |  |  |
| ${ }^{7}+66$ | pdm |  | I can derive and use the sum of angles in a triangle and use it to deduce the angle sum in any polygon，and to derive properties of regular polygons |  |  |  |
| ${ }^{7+67}$ | pdm |  | I can identify properties of，and describe the results of，translations，rotations and reflections applied to given figures |  |  |  |
| ${ }^{7+C 8}$ | s | $\checkmark$ | I can describe the probability of an event on a scale of 0 to 1 |  |  |  |
| 7＋69 | a | $\checkmark$ | I can substitute numerical values into formulae and expressions，including scientific formulae |  |  |  |
| 7＋C10 | a |  | I can model situations or procedures by translating them into algebraic expressions or formulae and by using graphs |  |  |  |

